Closing Tue: 2.3(part 2) Closing Thu: 1.5, 4.1

Entry Task: You are given $VC(q) = 0.01q^3 - 0.135q^2 + 0.6075q$ $MC(q) = 0.03q^2 - 0.27q + 0.6075$ FC = 90 hundred dollars q is in hundreds of Objects VC is in hundreds of dollars MC is in dollars/Object (as always)

Set up (do not compute) how to answer:
1. Find the cost to make the 326th item.
2. If the selling price is \$30 per object, at what quantity is profit is zero (break even points)
3. For what quantities is TR = VC?

- 4. What is break even price (BEP)?
- 5. What is shutdown price (SDP)?

Recall (yet again): Know these by heart! TR(x) = p x, TC(x) = FC + VC(x) AC(x) = TC(x) / x & x AC(x) = TC(x) AVC(x) = VC(x) / x & x AVC(x) = VC(x) MR(x) = (TR(x+'one') - TR(x)) / 'one'MC(x) = (TC(x+'one') - TC(x)) / 'one'

Quick Business Function Practice

(a) If TC(x) = $50 + 4x + x^2$, AC(x) =

AVC(x) =

(b) If TR(x) = 5x - 2x² hundred dollars and x is in hundred items, what is MR(x)?

MR(x) =

(c) If AVC(x) = 3 + 7x, FC = 5, p = 30 - 5x, what are TR(x), VC(x), TC(x)?

TC(x) =

Chapter 4 Motivation

We just spent 2 weeks discussing some of the algebra needed to study linear and quadratic **one variable problems**.

We will spend the next week discussing problems with **two variables (selling two products)**.

We will only study *linear* two variable problems.

We will learn how to maximize and minimize two variable linear functions using the so-called **method of linear programming**. Before we can do this, we need to know how to:

- 1. Find intersections of lines. (1.5)
- 2. Graph inequalities. (4.1)

Example of 1.5 skills Solve the system:

(i)
$$4x - y = 3$$

(ii) $2x + 3y = 19$

Example from 1.5 with words (directly from homework): Harry borrowed money from the bank

and from his life insurance to start a business.

The bank loan has a 10% interest rate. The insurance has a 12% interest rate. If the total borrowed was \$100,000 and the total interest in the first year is \$10,700, how much did he borrow from each? Example of 4.1 Skills: Graph the inequality (shade the region):

$$4x - y \le 5$$